BETA DECAY SPECTROMETER

Purpose:

We will measure electron energy spectrum for two radioactive beta emitters, Sr90 and Tl204. The average Q and endpoint energy will be observed. The spectrum is not monochromatic, but is characteristic of a 3-body decay where the beta may take on a spectrum of energies.

The Q-value of the decay is the total kinetic energy available to the decay products.

$$Q = M(P) - M(D) - M(e) - M(v)$$

Q is shared equally amongst the three decay products, so

The maximum Tmax a decay product may receive is Q!

$$Tmax = Q$$
 (endpoint)

Thus by measuring the electron's kinetic energy spectrum of we can determine Tmax = Q.

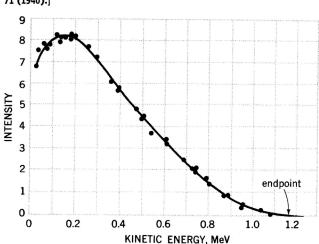
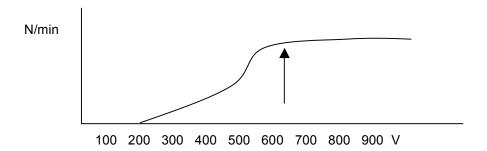


FIGURE 11-1 Energy spectrum of electrons emitted in the beta decay of Bi^{210} . [From G. J. Neary, Proc. Phys. Soc. (London), A175: 71 (1940).]

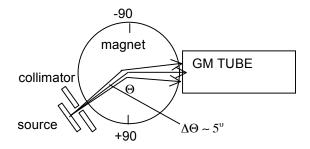
(1) HV Plateau Before using the beta spectrometer with the GM tube you should find the GM tube operating voltage by moving the source to the zero $+70^{\circ}$ position and record the number of counts per 10-minute interval, each 100V between 300 V and 800V.

Graph the result and identify the plateau region. The Geiger tube voltage should be set to a value about 20% past the onset of the plateau.

V	100	200	300	400	500	600	700	800	900
N/min									



(2) Take counts per 10 minute interval each 10 degrees (0 to + 90 degrees.).



Angle	0	10	20	30	40	50	60	70	80	90
Counts/10m										

(3) Graph the number of counts above background per energy interval versus electron kinetic energy. dN/dE vs T.

$$\frac{dN}{dT} = \left(\frac{dN}{d\theta}\right) \left(\frac{d\theta}{dT}\right) \quad \text{with } \left(\frac{d\theta}{dT}\right) \sim \left(\frac{\Delta\theta}{\Delta T}\right) = \left|\frac{5^O}{T(\theta + 2.5^O) - T(\theta - 2.5^O)}\right|$$
 (See BetaCalculator.xls on web site.)

Determine the endpoint energy Q where the energy spectum merges in to the background.

Derivation of Kinetic Energy Equation

$$T = E - mc^{2} \quad and \quad p = qBr = eBR/\tan\left(\frac{\theta}{2}\right)$$

$$T = \sqrt{p^{2}c^{2} + m^{2}c^{4}} - mc^{2} = mc^{2} \left\{ \sqrt{\frac{pc}{mc^{2}}}^{2} + 1 - 1 \right\} = mc^{2} \left\{ \sqrt{\frac{eBR}{mc} \frac{1}{\tan\left(\frac{\theta}{2}\right)}}^{2} + 1 - 1 \right\}$$

$$with \quad \left(\frac{eBR}{mc}\right) = 1.131$$

$$T = 0.511 \left\{ \sqrt{\frac{1.131}{\tan\left(\frac{\theta}{2}\right)}^{2} + 1 - 1} \right\} MeV$$