

General Considerations

- *Systems:* We will consider a stationary system, i.e., one in which all quantities are time-independent but there are non-vanishing flows (the situation is not static); these describe transport phenomena, such as heat and electricity conduction, and viscosity.

Viscosity

- *Idea:* Viscosity is the internal friction that arises in a fluid when different layers of it are moving at different velocities and forces arise between those layers. Phenomenologically, the behavior of a fluid is quantified by a coefficient of viscosity η , which relates the variation in a velocity component to the corresponding component of the stress tensor, for example

$$P_{zx} = -\eta \frac{\partial u_x}{\partial z}, \quad \text{with} \quad P_{zx} = \frac{\Delta p_x}{\Delta t \Delta A}.$$

- *Rough calculation:* Physically, viscosity arises from particles crossing between z -layers moving at different $u_x(z)$'s and carrying momentum with them (this process is dominant in thin gases), and collisions between particles (important at higher densities).

- *More detailed calculation:* One needs to take into account the Maxwell distribution for particle velocities, and the collision cross-section.

Self-Diffusion

- *Remark:* (Do this one because it will be a good example of the fluctuation-dissipation theorem too.)
- *Idea:* Consider a solute present in very low concentrations in a fluid solvent. Starting from the equation of continuity for the solute particle number density and flux, $\partial n / \partial t = -\nabla \cdot \mathbf{j}$, and introducing a phenomenological self-diffusion constant D by $\mathbf{j} = -D \nabla n$, we get $\partial n / \partial t = D \nabla^2 n$ (both of these equations go under the name of Fick's law).

Thermal Conductivity

- *Topic:* ...

Electric Conductivity

- *Topic:* ...